

# Control of Multipolar and Orbital Order in Perovskite-like $[C(NH_2)_3]Cu_xCd_{1-x}(HCOO)_3$ Metal–Organic Frameworks

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**Supporting Information** 

**ABSTRACT:** We study the compositional dependence of molecular orientation (multipolar) and orbital (quadrupolar) order in the perovskite-like metal-organic frameworks  $[C(NH_2)_3]Cu_xCd_{1-x}(HCOO)_3$ . Upon increasing the fraction x of Jahn-Teller-active  $Cu^{2+}$ , we observe an orbital disorder/order transition and a multipolar reorientation transition, each occurring at distinct critical compositions  $x_0 = 0.45(5)$  and  $x_m =$ 0.55(5). We attribute these transitions to a combination of size, charge distribution, and percolation effects. Our results establish the accessibility in formate perovskites of novel structural degrees of freedom beyond the familiar dipolar terms responsible for (anti)ferroelectric order. We discuss the implications of cooperative quadrupolar and multipolar states for the design of relaxor-like hybrid perovskites.

**S** ome of the most important and interesting phenomena exhibited by conventional oxide perovskites arise from the coupling of ostensibly independent degrees of freedom.<sup>1,2</sup> In the colossal magnetoresistance manganites, for example, it is an interplay between charge localization, magnetic order, orbital order, and atom displacements that allows the conductivity to be switched on and off in response to external magnetic fields.<sup>3–5</sup> Likewise, the anomalous dielectric behavior of relaxor ferroelectrics arises from coupling of compositional variation with orbital and dipole orientations.<sup>6</sup>

Many of these same degrees of freedom are as relevant to metal–organic frameworks (MOFs) and hybrid inorganic/ organic solids as they are to conventional oxide ceramics.<sup>7,8</sup> It is this realization that has fueled the quest for multiferroic MOFs, for example, where coupled magnetic spin and dipolar order would allow magnetic-field switching of bulk polarization.<sup>9–14</sup> The relevance to photovoltaic performance in hybrid organic perovskites is also clear: anomalous exciton lifetimes are now understood to emerge from a complex interplay between cooperative molecular tumbling, lattice vibrations, and polar displacements.<sup>15–17</sup>

In this context, the MOF community has focused almost exclusively on the cooperative behavior of *dipolar* degrees of freedom (e.g., molecular dipole orientations, 18-20 ion displacements, <sup>21</sup> and magnetic order<sup>21-24</sup>). However, MOFs also allow

access to a variety of quadrupolar and higher-order multipolar ordering processes, the phenomenology of which is almost entirely unexplored.<sup>25,26</sup> For example, the charge distribution of guanidinium (point-group symmetry  $D_{3h}$ ) is multipolar rather than dipolar (Figure 1a),<sup>27</sup> so molecular orientations in



**Figure 1.** (a) Guanidinium ion (top), electrostatic potential (middle), and multipolar representation (bottom). (b) Multipolar order in Cd-(left) and Cu-containing (right) guanidinium formates. Metal–formate linkages are shown as straight rods. (c) Symmetry relationships between multipolar and orbital ordering processes. Arrows represent group–subgroup relationships; dashed lines represent discontinuous pathways. The space groups of the Cd (orange) and Cu (blue) formate perovskites are shaded.<sup>30,36</sup>

guanidinium-containing MOFs can be described by different states of multipolar order.<sup>26</sup> These states are conceptually related to the "hidden order" phases<sup>28,29</sup> of URu<sub>2</sub>Si<sub>2</sub> and Ga<sub>3</sub>Gd<sub>5</sub>O<sub>12</sub> and often have no direct analogue in conventional oxide perovskites. A related phenomenon is the quadrupolar order associated with cooperative Jahn–Teller (JT) distortions

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in, e.g.,  $[A]Cu(HCOO)_3$  hybrid frameworks  $(A^+ = molecular cation).^{30,31}$  In ref 9 it was demonstrated that this quadrupolar order could itself induce a macroscopic dipole, allowing the design of polar states in a manner similar to "tilt engineering" approaches.<sup>32</sup> Thus, while these more complex degrees of freedom accessible to MOFs may not be directly susceptible to manipulation by external fields, they can nevertheless couple to degrees of freedom that *are* susceptible. Hence, there is substantial unrealized potential for developing new functional MOFs based on exploiting the ordering behavior of complex degrees of freedom.

Here we study the phase behavior of the hybrid perovskite analogues  $[C(NH_2)_3]Cu_xCd_{1-x}(HCOO)_3$ . Relatively few mixed-metal formates have been reported elsewhere,<sup>33-35</sup> and in this case only the x = 0 and 1 end members have been characterized previously.<sup>30,36</sup> They adopt structures with different guanidinium arrangements and thus are related to different states of multipolar order. Whereas in the Cd compound the molecular  $C_3$  axes align along a single [111]type direction of the underlying cubic net (we call this arrangement "R-type" as it enforces rhombohedral symmetry), in the Cu compound the alignment is along an alternating pair of  $\langle 111 \rangle$  directions, giving an orthorhombic structure (hence "O-type") (Figure 1b). Both arrangements are mediated by hydrogen bonding between guanidinium cations and formate linkers.<sup>30</sup> In the absence of further distortions, the R and O multipole states have  $R\overline{3}c$  and *Pnna* symmetry, respectively.<sup>3</sup> The lower symmetry of the Cu compound  $(Pna2_1, a polar)$ space group) arises from coexistence of O-type multipolar order with the quadrupolar orbital order of its cooperative JT distortion.<sup>9</sup> Combining the same orbital arrangement with the R multipole state gives the centrosymmetric space group  $P2_1/c$ [see the Supporting Information (SI)]. Hence, polarization is a nontrivial consequence of the symmetries of quadrupolar and multipolar order (Figure 1c).<sup>9,10</sup> By studying the Cd/Cu solid solution, we determine the extent to which the multipolar and quadrupolar order jointly responsible for bulk polarization in  $[C(NH_2)_3]Cu(HCOO)_3$  might be controlled and hence exploited in future materials design.

We prepared<sup>24,36</sup> polycrystalline samples of  $[C(NH_2)_3]$ - $Cu_xCd_{1-x}(HCOO)_3$  with x = 0, 0.1, 0.2, ..., 1; the compositions were verified using atomic absorption spectroscopy (see the SI). Synchrotron X-ray diffraction patterns show a progressive shift in peak positions and diffraction profiles consistent with solid-solution formation across the entire composition field (Figure 2a). Two clear transitions divide the phase field into three regions. The first occurs for the most Cu-poor samples (0  $\leq x \leq 0.4$ ): here the structure type is that of the Cd parent  $(R\overline{3}c)$ , indicating R-type multipolar order and the expected absence of quadrupolar JT order. The second is observed for the single composition x = 0.5. Here the diffraction pattern can be explained by a single phase of symmetry  $P2_1/c_1$ , indicating a combination of R multipolar order and quadrupolar JT order. A monoclinic distortion is clearly evident in the splitting of relevant reflections (see the inset of Figure 2a); this splitting is not convincingly explained by a two-phase  $(R\overline{3}c + Pna2_1)$ model (see the SI). The third and final region occurs for  $0.6 \leq$  $x \leq 1$ , where the *Pna*2<sub>1</sub> phase of the Cu end member is stable. The symmetry of this phase is consistent with the same combination of O-type multipolar order and quadrupolar orbital order as in the Cu end member itself. We found no evidence for cation ordering; the crystal symmetries of each phase are consistent only with a single Cd/Cu crystallographic



**Figure 2.** (a) Synchrotron X-ray diffraction patterns ( $\lambda = 0.82599(1)$ Å) for  $[C(NH_2)_3]Cu_xCd_{1-x}(HCOO)_3$ . Data are shown as black points, and Pawley fits as colored lines. The inset shows the splitting of a single reflection upon transition from  $R\overline{3}c$  ( $x \le 0.4$ ) to  $P2_1/c$  (x = 0.5). (b) Corresponding lattice parameters.

site. Consequently, we attribute the transitions at  $x_0 = 0.45(5)$  and  $x_m = 0.55(5)$  to orbital order and multipole reorientation transitions, respectively. To the best of our knowledge, this is the first identification of these classes of transitions in a MOF/ hybrid system.

The effect of composition on the lattice parameters was determined using Pawley refinement (Figure 2b) (see the SI). Within a given phase the variation is smooth, consistent with the formation of a genuine solid solution. However, both transitions appear discontinuous and are accompanied by volume anomalies. A volume *increase* with orbital order at  $x_0$  reflects the behavior of LaMnO<sub>3</sub>.<sup>38,39</sup> The different signs of  $\Delta V$  for orbital and multipolar ordering suggests that pressure may be used to manipulate these transitions independently of one another.

How might we understand the microscopic mechanisms responsible for transitions at  $x_0$  and  $x_m$ ? We suggest that increasing Cu composition has three key effects.

The first effect is that of size: the difference in the Cu–O and Cd–O bond lengths (2.1 and 2.3 Å, respectively<sup>30,36</sup>) means that the edge length of the cubic perovskite net is shorter in  $[C(NH_2)_3]Cu(HCOO)_3$  than in  $[C(NH_2)_3]Cd(HCOO)_3$  (6.03 vs 6.24 Å). This comparison holds for all of the first-row transition metals; that the analogous framework for each of these systems adopts the same O multipole state<sup>30</sup> suggests that this particular arrangement of guanidinium cations reflects a more efficient packing. In other words, the volume decrease upon Cu doping (Figure 2b) may drive the multipole transition in order to pack guanidinium ions more efficiently.

A second factor is the variation in hydrogen-bond strength between guanidinium and the framework induced as the transition metal is varied.<sup>36,40–42</sup> R and O multipole states should support different cation–framework interaction strengths,<sup>41,42</sup> suggesting that a change in charge density may also explain the transition at  $x_m$ .

The final effect we consider is that of introducing JT-active ions into a IT-inactive matrix. On one level, it is perhaps surprising that even in flexible MOFs the strains associated with JT distortions are sufficient to enforce coupling between orbital orientations of neighboring cations. However, orbital order is indisputably present in  $[C(NH_2)_3]Cu(HCOO)_3$  itself.<sup>30</sup> For small x, the JT axes of isolated Cu<sup>2+</sup> ions are uncorrelated since most are surrounded by a JT-inactive matrix of  $Cd^{2+}$ . As x increases, however, the fraction of Cu<sup>2+</sup> ions with Cu<sup>2+</sup> neighbors quickly increases, and strain effects enforce local coupling between orbital orientations. At some critical Cu composition these correlations become long-range, resulting in an orbital disorder/order transition; on the basis of symmetry arguments we identify this as the transition at  $x_0$ . We used a Monte Carlo simulation to identify the composition at which this transition might be anticipated (see the SI). Our toy Hamiltonian considers the effect of random-site percolation on a cubic lattice using only nearest-neighbor interactions. For this model, we find that the orbital order transition occurs at  $x_0 \approx$ 0.6. That orbital order occurs experimentally at a lower value of x suggests that (i) there exists short-range cation order and/or (ii) JT strain fields extend beyond nearest neighbors.<sup>43</sup>

We investigated the temperature dependence of  $x_o$  and  $x_m$  (there is none, consistent with percolative mechanisms;<sup>44</sup> see the SI) and also established the corresponding phase behavior of the solid solution  $[C(NH_2)_3]Mn_xCd_{1-x}(HCOO)_3$ . In this JT-inactive system we observe a single temperature-dependent multipole transition from  $R\overline{3}c$  directly to *Pnna* (Figure 1c) (see the SI) that occurs at a higher doping level,  $x_m(Mn) = 0.75(5)$  Å, consistent with our size arguments.<sup>45</sup>

Therefore, we have demonstrated for a family of perovskitelike MOFs that multipolar and orbital degrees of freedom undergo independent ordering processes as a result of compositional variation. The particular system studied here has a readily identifiable signature of orbital order; however, one expects similar phenomena in, e.g.,  $[C(NH_2)_3]$ - $Cu_x Mn_{1-x} (HCOO)_y$  where systematic absence violations would identify a progression from disordered (Pnna) to ordered (Pna21) states. Compositions in the vicinity of this transition may prove especially interesting since the symmetry arguments of ref 9 guarantee that critical fluctuations in orbital order must couple to fluctuations in the polarization to give polar nanodomains, as in the Pb-containing perovskite relaxors PZN/PMN.<sup>46</sup> Not only do our results suggest an avenue for the design of lead-free relaxors, but the inclusion of magnetic transition metals allows in principle for coupling to magnetic order. Moreover, since different organic cations have different multipolar charge distributions, substitution<sup>47,48</sup> is an obvious means of exploring a large variety of multipolar states. In all cases both the statistical mechanics and the symmetry implications of correlated multipolar, quadrupolar, and dipolar order will prove crucial in exploiting the degrees of freedom accessible to MOFs.

# ASSOCIATED CONTENT

#### **S** Supporting Information

The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/jacs.6b05208.

Experimental methods; powder diffraction refinement details; lattice parameters; Monte Carlo simulation description; symmetry discussion (PDF)

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#### Notes

The authors declare no competing financial interest.

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(44) Whereas in conventional orbital order/disorder systems (e.g., La<sub>1-x</sub>Ca<sub>x</sub>MnO<sub>3</sub>) thermally induced orbital reorganization is permitted via charge redistribution,<sup>49</sup> here it is likely that the distribution of JT-active cations is fixed during synthesis, resulting in the temperature independence of  $x_0$ .

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